

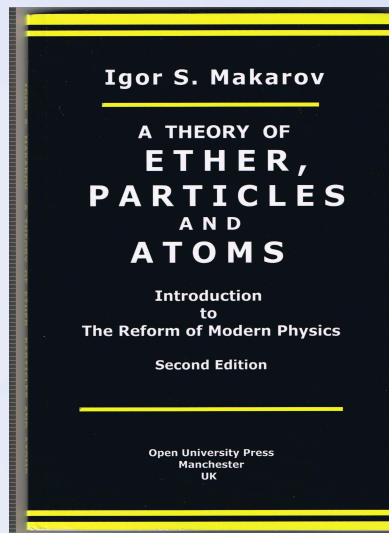
Systemic Logic in Theoretical Astrophysics

Igor Makarov

Reform Science Center (info@reformscience.org)

This is the presentation of my 30-year-long independent research in Systems Theory and Theoretical Physics. **Results:**

- (1) the research initiates the reform of modern physics,
- (2) gives the true interpretation of the Systems Theory,
- (3) paves the way to the reform of science in general.



Its four parts were published in the Indian Journal of Theoretical Physics (1996-2005).

In 2007 it was printed privately as a book *“A Theory of Ether, Particles and Atoms”*, its copies sent to some Western academies.

Its second edition is now available in print and online, <http://kvisit.com/S2uuZAQ>.

2. Features of the method

The research is based on Hegel's dialectical logic. The method is called '*the method of systemic intuition*'. Every step a discovery. We discover first the **ORIGIN** of the object, reveal its **ESSENCE**, develop its **PROJECT** and then realize it into **TRUE THEORY**.

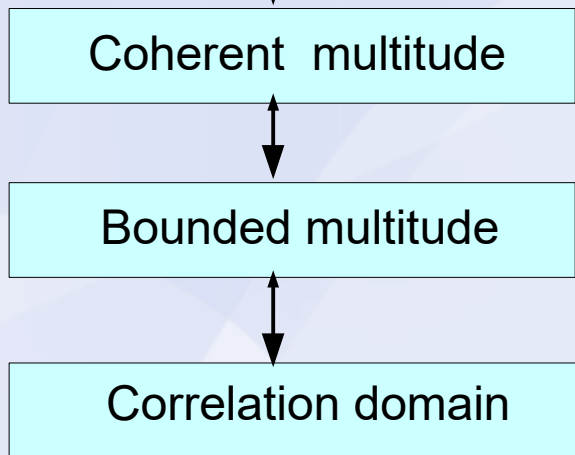
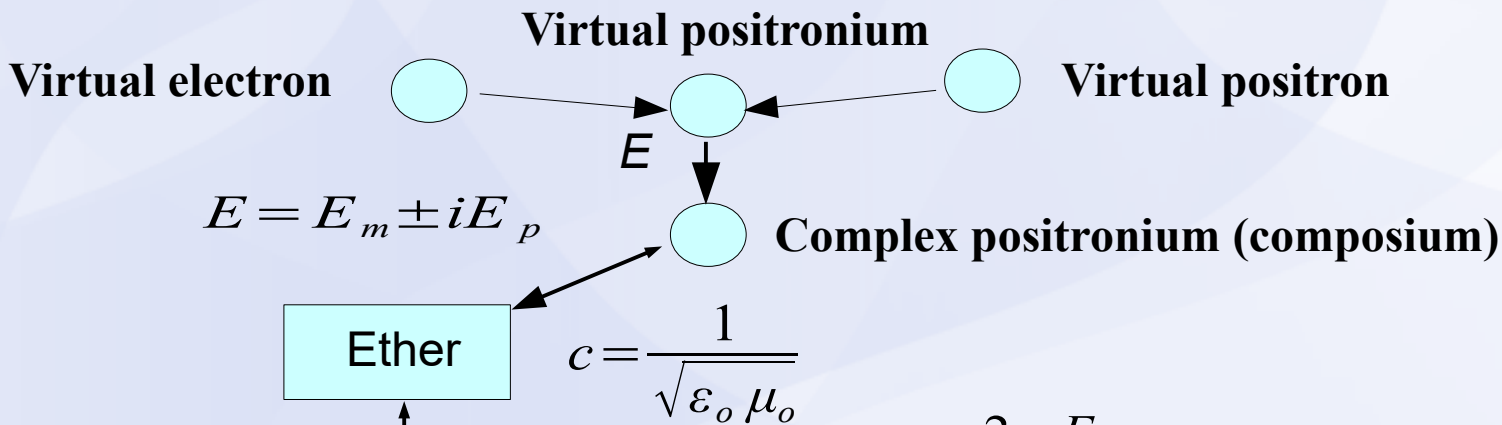
According to the philosophy underlying this method, **truth cannot be observed, it can only be thought**; so the results obtained with this method cannot be confirmed directly by experiment. At the same time this method takes into account all achievements of modern science and can explain any experimental fact.

THIS METHOD SOLVES PROBLEMS BEYOND THE REACH OF MODERN SCIENCE.

3. The main results

- (1) only two fundamental particles – virtual electron and positron; their interaction leads to virtual positronium generating energy;
- (2) ether consists of virtual positroniums exchanging photons;
- (3) in ether there takes place spontaneous generation of mesons and neutrons; cosmic rays and CMB are proper radiations of ether;
- (4) the essence of nuclear interaction is conservation of energy by alternate transformation of electric energy to magnetic one and vice versa, the D-atom (deuterium) being its fundamental case;
- (5) seven nuclear shells of 2, 8, 18, 36, 18, 8 and 2 D-atoms;
- (6) all atoms can be modeled by electric LCR-networks;
- (7) excited by photons, atoms responds with neutrinos;
- (8) the structure of the ^{238}U -atom reveals the implicit structure of the H-atom; it is the most perfect model of ether;
- (9) radius of the electron is ~ 0.01 fm - instead of modern 2.82 fm.

4. Theory of ether



Correlation function of ether

$$\chi = \frac{2\pi E}{hc}; \quad \Re \chi < 0$$

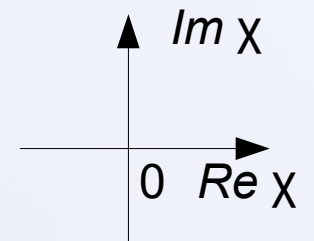
$$\varphi_\chi(s) = e^{\chi s}; \quad s = r = ct$$

$$C_\chi = A_\chi \pm iB_\chi$$

Complex spectrum of ether

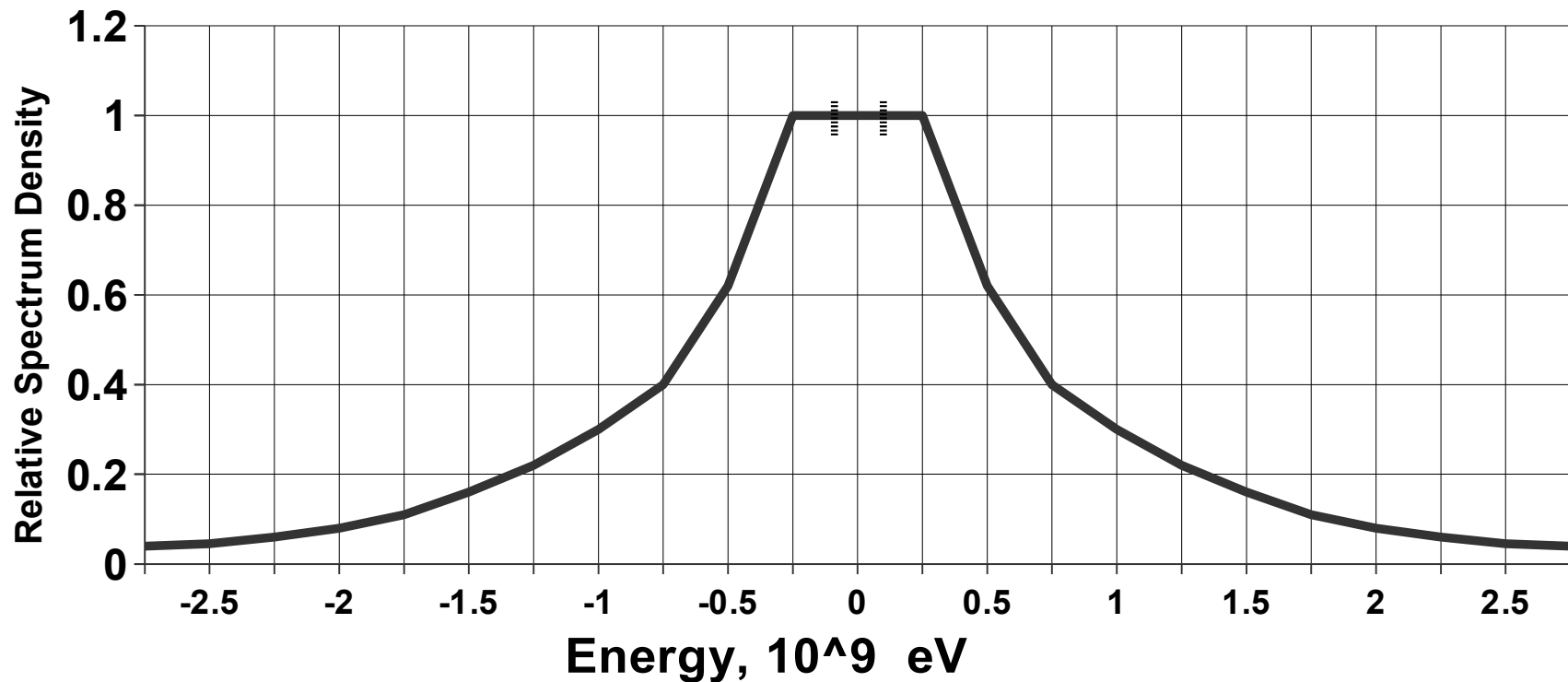
$$S(\chi) = \frac{dC_\chi}{d\chi}$$

$$g(s) = \frac{1}{2\pi i} \int_L S(\chi) e^{\chi s} d\chi; \quad \Re \chi \geq 0$$



4. Cosmic rays and ether

Experiments suggest the following spectrum of cosmic rays photons:



Spectrum of cosmic rays photons

6. Formulas for computation

The piece-wise approximation of the spectrum of ether:

$$\log P(E_{eV}) = \begin{cases} 0; & 0 \leq \log E \leq 8.5 \\ 8.5 - \log E; & 8.5 \leq \log E \leq 9.0 \\ 15.7 - 1.8 \log E; & 9.0 \leq \log E \leq 9.5 \\ 24.06 - 2.68 \log E; & 9.5 \leq \log E \end{cases}$$

The first power of the spectrum on a linear scale:

$$SPHE(E) = 10^{0.5 \log P(E)}$$

The correlation function of ether

$$g(r) = \frac{1}{2\pi i} \int_L S(z) e^{zr} dz; \quad z = x + iy; \quad x \geq 0$$

The complex spectrum of ether

$$S(z) = F(x, y) e^{i\varphi(x, y)}$$

$$\ln S(z) = \ln F(x, y) + i\varphi(x, y); \quad f(x, y) = \ln F(x, y)$$

Poisson's formula

$$f(x_0, y_0) = \frac{x_0}{\pi} \int_{-\infty}^{\infty} \frac{f(0, y) dy}{(y - y_0)^2 + x_0^2};$$

Cauchy-Riemann conditions

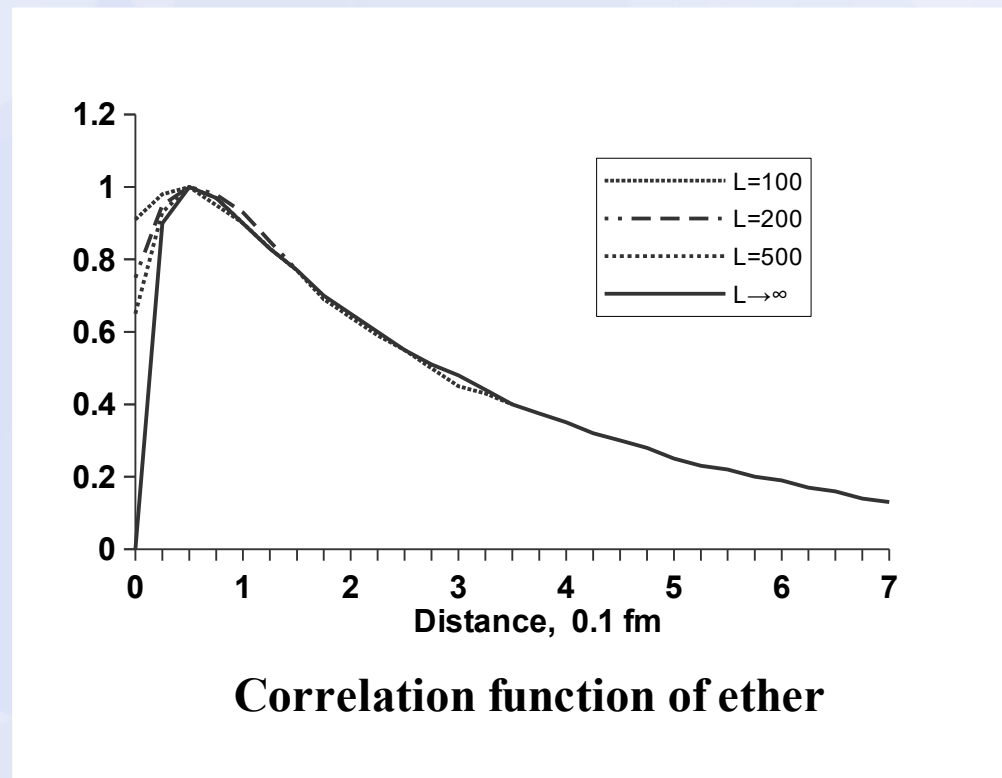
$$\frac{\partial f}{\partial x} = \frac{\partial \varphi}{\partial y}, \quad \frac{\partial f}{\partial y} = -\frac{\partial \varphi}{\partial x};$$

Argument of the spectrum

$$\varphi(x, y) = \int_{y_1=0}^y \frac{\partial f(x, y_1)}{\partial x} dy_1;$$

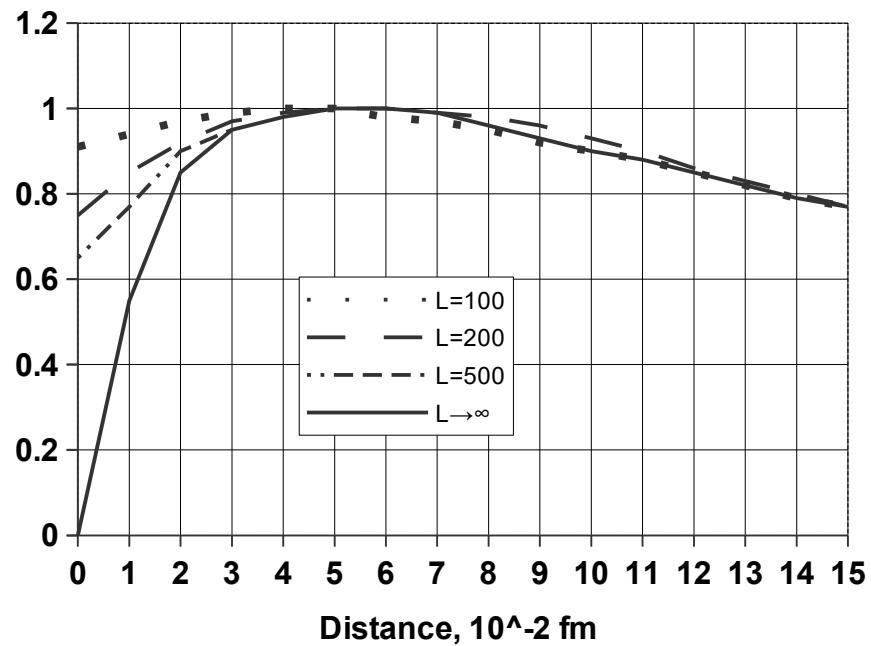
$$f(0, y) = \ln SPHE(y); \quad SPHE(0) > 0$$

7. Correlation function of ether



The computation was performed in three ranges of energy, $1.26 \times 10^{10} eV$, $2.52 \times 10^{10} eV$, $6.3 \times 10^{10} eV$, corresponding to parameters $L=100$, $L=200$ and $L=500$, respectively. The bold line corresponds to approximation ($L= \infty$).

8. Correlation function. Detail



Correlation function of ether. Detail

9. Characteristics of ether and particles

The correlation function (high energy region): $g(r) \propto \exp(-\alpha_{et}r) - \exp(-\beta_{et}r)$

Its radius of extrema: $r_{et} \approx 5.2 \times 10^{-2} \text{ fm}$

The spectrum of ether in high energy region: $|S(i\omega)|^2 \propto \frac{1}{(\alpha_{et}^2 c^2 + \omega^2)(\beta_{et}^2 c^2 + \omega^2)}$

The rate of photon exchange: $\alpha_{et} = 3.18 \text{ fm}^{-1}$

The rate of corpuscular interaction: $\beta_{et} = 56.81 \text{ fm}^{-1}$

Singularity distribution function: $\varphi_o(q) = \frac{2\beta_{et}^3}{\pi^2} \exp(-2\beta_{et}|q|); \sqrt{q^2} = 1.24 \times 10^{-2} \text{ fm}$

Dimensions of particles

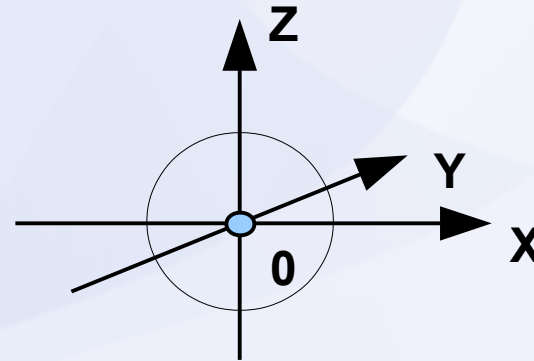
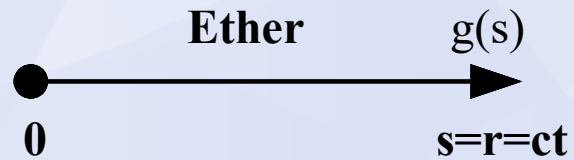
Electron: $r_e \approx 0.01 \text{ fm}$ (in modern theory: $r_e \approx 2.82 \text{ fm}$)

Muon: $r_m \approx 0.19 \text{ fm}$

Neutron: $r_n \approx 0.46 \text{ fm}$, which corresponds to modern experimental data, 0.3 fm to 0.5 fm .

10. Spontaneous generation of particles

Muon



$$r=|q|=\sqrt{x^2+y^2+z^2}; \quad dq=dx \, dy \, dz$$

$$\int \varphi_o \, dq = 1; \quad \varphi_o(q) = \varphi_o(|q|)$$

$$w(q) = g^2 \otimes \varphi_o = \int g^2(|q_1|) \varphi_o(q - q_1) \, dq_1$$

π -meson

$$E_{ref} = (\psi, \hat{E}_{ref} \psi);$$

$$(f_1, f_2) = \int \tilde{f}_1 f_2 \, dq$$

$$P = \frac{1}{c} \left(\frac{\partial \psi}{\partial t}, W \frac{\partial \psi}{\partial t} \right); \quad W(q) = w_{max} - w(q)$$

$$\frac{\partial (\psi, \hat{E}_{ref} \psi)}{\partial t} = -\frac{1}{c} \left(\frac{\partial \psi}{\partial t}, W \frac{\partial \psi}{\partial t} \right)$$

11. K-meson and η-meson

K-meson

$$E_s = -\frac{1}{2}(\psi, \Delta\psi); \quad \Delta = \frac{\partial^2}{\partial x^2} + \frac{\partial^2}{\partial y^2} + \frac{\partial^2}{\partial z^2} \quad E_t = \frac{1}{2c^2} \left(\frac{\partial\psi}{\partial t}, \frac{\partial\psi}{\partial t} \right);$$

$$\partial \left\{ \frac{1}{c^2} \left(\frac{\partial\psi}{\partial t}, \frac{\partial\psi}{\partial t} \right) - (\psi, \Delta\psi) \right\} / \partial t = -\frac{2}{c} \left(\frac{\partial\psi}{\partial t}, W \frac{\partial\psi}{\partial t} \right) \rightarrow \frac{1}{c^2} \frac{\partial^2\psi}{\partial t^2} - \Delta\psi + \frac{W}{c} \frac{\partial\psi}{\partial t} = 0$$

η-meson

$$\frac{\partial u}{\partial t} + H u = 0; \quad H = \begin{pmatrix} cW & -c^2\Delta \\ -I & 0 \end{pmatrix}; \quad u = U e^{\lambda t}; \quad \{U_k\}, \{\tilde{U}_k\}; \{\lambda_k\}, \{\tilde{\lambda}_k\}.$$

$$\lambda U + H U = 0; \quad A = \int g^2 dq$$

$$\lambda U + H_o U = 0; \quad H \rightarrow H_o; \quad w \rightarrow w_o; \quad w_o = B\varphi_o; \quad \lambda_n = \lambda_o \quad E_k = -m_k c^2 + i p_k c$$

$$m_k = \frac{\hbar}{c^2} |\Re \lambda_k|; \quad p_k = \frac{\hbar}{c} \Im \lambda_k; \quad \lambda = \frac{E}{\hbar}, \quad \hbar = \frac{h}{2\pi}$$

$$\tilde{E}_k = -m_k c^2 - i p_k c$$

$$u_k(q, t) = U_k e^{\lambda_k t} + \tilde{U}_k e^{\tilde{\lambda}_k t}, \quad k = 1, 2, \dots, n$$

12. The neutron

Under the influence of interaction with ether, its mode of correlation penetrates the η -meson impelling it to re-organize its separate modes of reflection into a collective, *organized mode of reflection*, represented by a *linear combination* of spatial wave functions,

$$F = \sum_{k=1}^n C_k U_k + \tilde{C}_k \tilde{U}_k;$$

where

$$C_k = \frac{(V_k, G)}{(V_k, U_k)}, \quad \tilde{C}_k = \frac{(\tilde{V}_k, G)}{(\tilde{V}_k, \tilde{U}_k)}; \quad \lambda V + H V = 0; \quad (V_i, U_j) = 0, \quad i \neq j$$

\tilde{H} - the matrix operator transposed to H; $G = \begin{pmatrix} g \\ g \end{pmatrix}$ - the two-component

correlation function of ether. As a result, the η -meson turns into the neutron characterized by the correlation function spatially consistent with ether:

$$f(q, t) = \sum_{k=-n}^n C_k U_k e^{\lambda_k t}; \quad a_{-k} = \tilde{a}_k$$

Thus the neutron is a linear system with continuously distributed parameters.

13. The H-atom

In the neutron, the form of its spatial wave functions $\{U_k\}$ contradicts the discrete character of its oscillation modes $\{e^{\lambda_k t}\}$. As a result, under interaction with ether, the continuously distributed parameters mass into lumped parameters thus transforming the neutron into the H-atom. The latter is characterized by the set of equations

$$\alpha_k \frac{d^2 \varphi_k}{dt^2} + \beta_k \frac{d\varphi_k}{dt} + \gamma_k \varphi_k = 0; k=1,2,\dots,n$$

or by the vector equation

$$A \frac{d^2 \Phi}{dt^2} + B \frac{d\Phi}{dt} + \Gamma \Phi = 0; \quad \Phi = \begin{pmatrix} \varphi_1 \\ \varphi_2 \\ \dots \\ \varphi_n \end{pmatrix} \quad A = (a_{ik}) = \begin{pmatrix} \alpha_{11} & \alpha_{12} & \dots & \alpha_{1n} \\ \alpha_{21} & \alpha_{22} & \dots & \alpha_{2n} \\ \dots & \dots & \dots & \dots \\ \alpha_{n1} & \alpha_{n2} & \dots & \alpha_{nn} \end{pmatrix}; \quad B = (\beta_{ik});$$

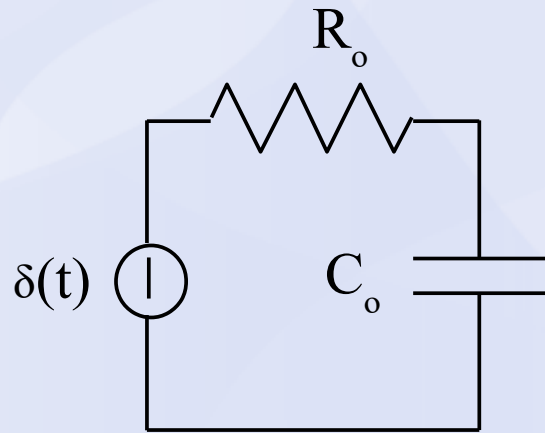
$$\Gamma = (\gamma_{ik})$$

The structural function of the H-atom

$$u(t) = \sum_{k=-n}^n T_k U_k e^{\lambda_k t}; \quad a_{-k} = \tilde{a}_k; \quad u = \begin{pmatrix} \frac{d\Phi}{dt} \\ \Phi \end{pmatrix}; \quad U_k = \begin{pmatrix} U_{k1} \\ U_{k2} \\ \dots \\ U_{kn} \end{pmatrix},$$

Matrices A, B, Γ represent quarks, functions $\frac{d^2 \Phi}{dt^2}, \frac{d\Phi}{dt}, \Phi$ represent gluons.

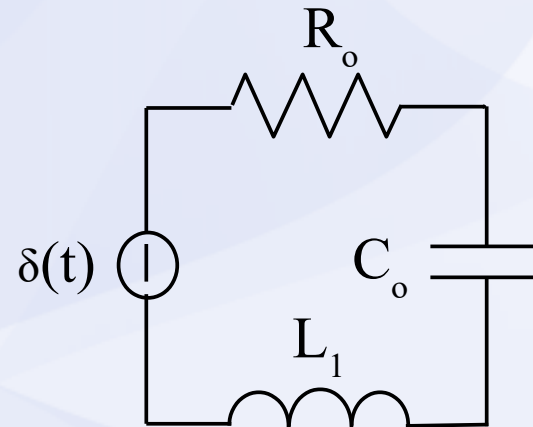
14. Models and dynamics of the H-atom



The rough model of the H-atom

Response: $q(t) \propto \exp\left(-\frac{t}{\tau_c}\right)$; $\tau_c = R_o C_o$;

Spectrum: $|Q(x)|^2 \propto \frac{1}{1+x^2}$; $x = \omega\tau_c$;

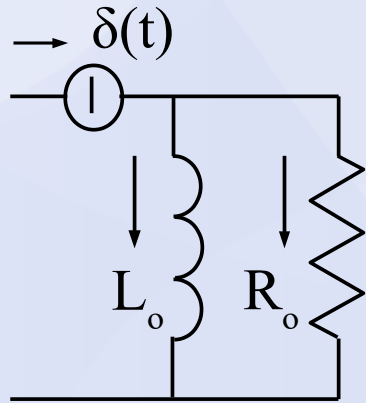


The exact model of the H-atom

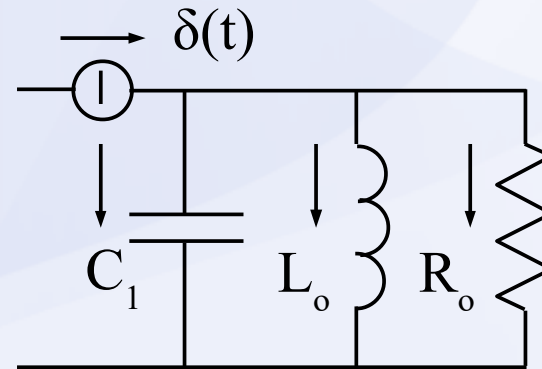
$q(t) \propto \exp(p_1 t) - \exp(p_2 t)$

$|Q(\omega)|^2 \propto \frac{1}{(\omega^2 + p_1^2)(\omega^2 + p_2^2)}$
 $p_1^2 \ll p_2^2$

15. Models and dynamics of the neutron



The rough model of the neutron

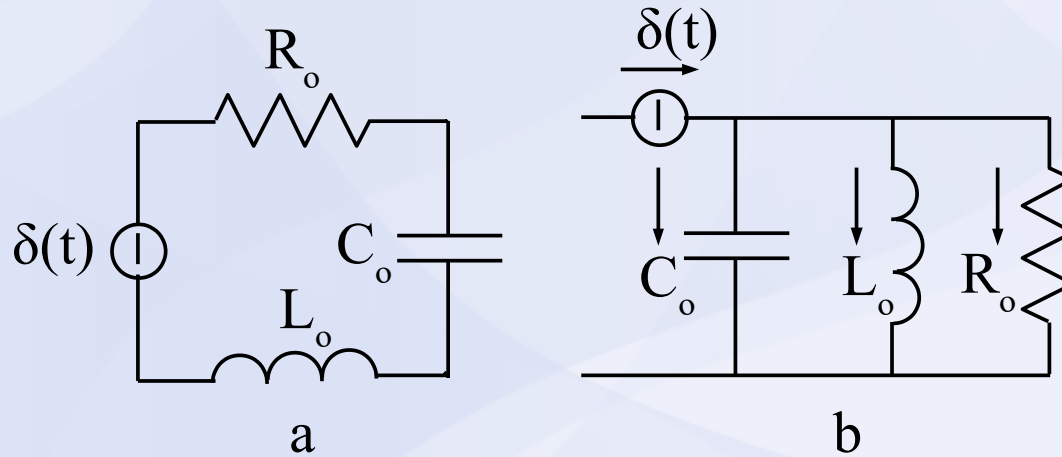


The exact model of the neutron

Response: $i_R(t) \propto \exp\left(-\frac{t}{\tau_L}\right); \tau_L = \frac{L_o}{R_o}$ $i_R(t) \propto \exp(p_1 t) - \exp(p_2 t)$

General property of space: $\frac{L_o}{C_o} = \frac{L_1}{C_1} = R_o^2$

16. Models and dynamics of the D-atom

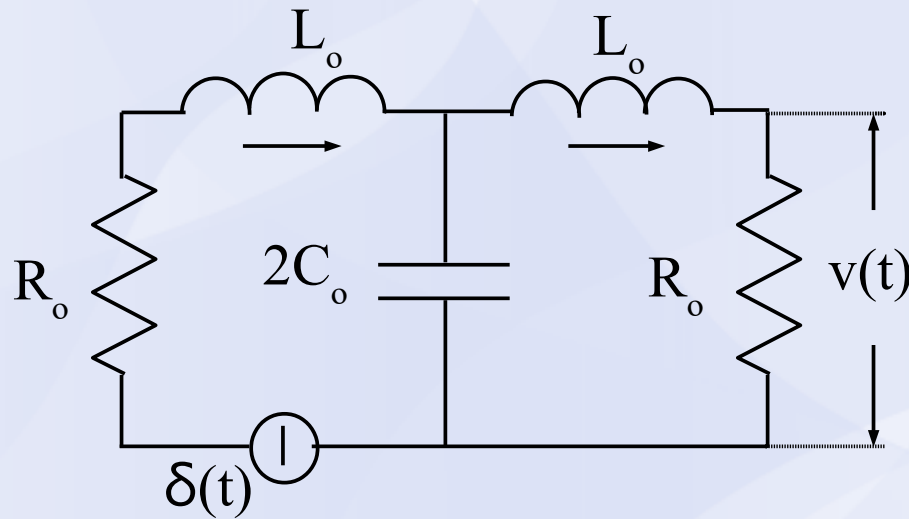


**The rough models of the D-atom:
 (a) electric excitation, (b) magnetic excitation**

Response:
$$i(t) \propto e^{-\alpha t} \left(\cos \sqrt{3} \alpha t - \frac{1}{\sqrt{3}} \sin \sqrt{3} \alpha t \right); \quad \alpha = \frac{R_o}{2L_o}; \quad \omega_o^2 = \frac{1}{L_o C_o}$$

The exponent factor α is half of that in the H-atom and the neutron, which means a higher structural efficiency of the D-atom than that of its components, and therefore a more efficient mode of energy conservation.

17. Model and dynamic of the He-atom



Response

$$v(t) \propto e^{-2\alpha t} + e^{-\alpha t} \left(\frac{1}{\sqrt{3}} \sin \sqrt{3} \alpha t - \cos \sqrt{3} \alpha t \right)$$

Spectrum:

$$|V(x)|^2 \propto \frac{1}{1+x^6}; \quad x = \frac{\omega}{\omega_o}$$

The rough model of the He-atom

Parameters of the models:

$$R_o \approx 376.7 \Omega,$$

$$L_o = 4.17 \times 10^{-22} \text{ H}, \quad C_o = 2.94 \times 10^{-27} \text{ F},$$

$$L_1 = 2.09 \times 10^{-23} \text{ H}, \quad C_1 = 1.48 \times 10^{-28} \text{ F}.$$

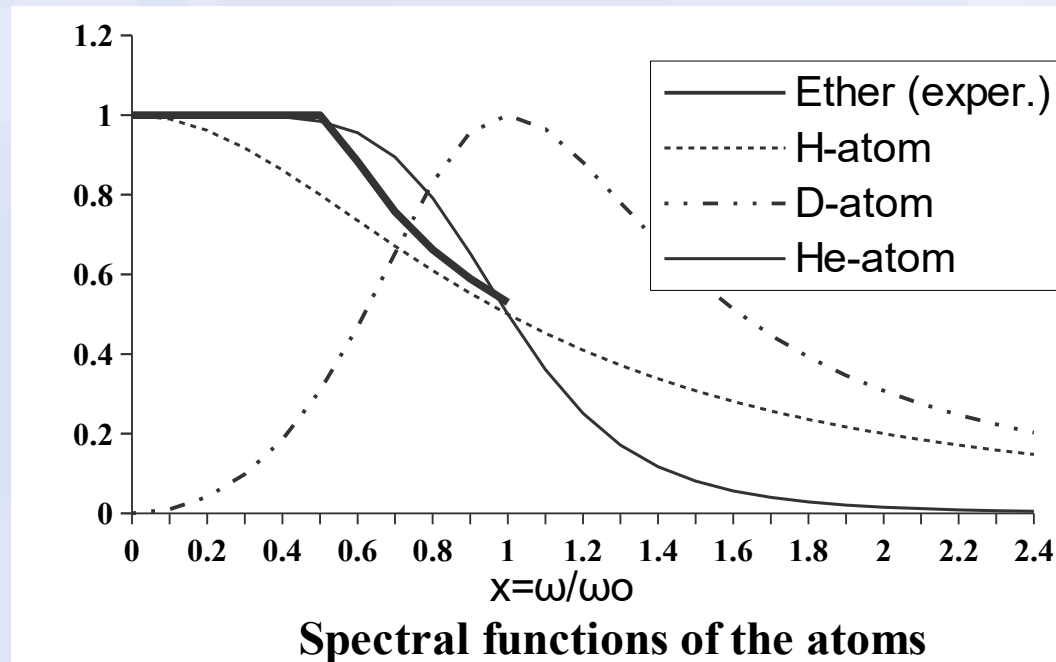
Fundamental frequency:

$$f_o = \frac{1}{2\pi \sqrt{L_o C_o}} = 1.44 \times 10^{23} \text{ Hz}$$

Quantum energy:

$$E = hf_o \approx 9.54 \times 10^{-11} \text{ J} \approx 5.95 \times 10^8 \text{ eV}.$$

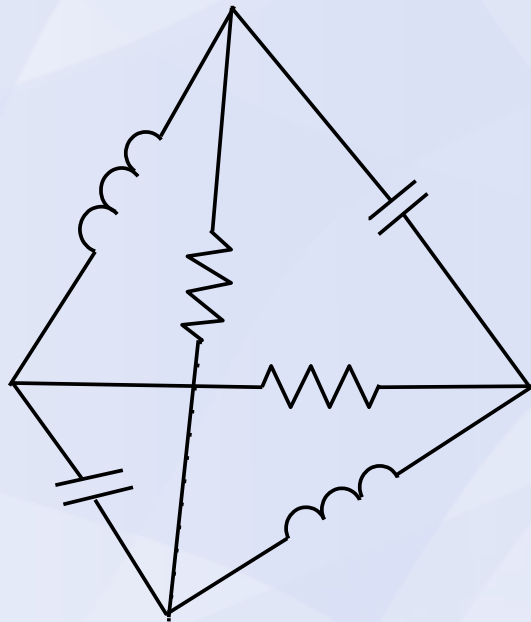
18. Spectra of light atoms and ether



The comparison shows:

- (1) the spectrum of the H-atom coincides with that of ether above energy $6 \times 10^8 eV$;
- (2) the He-atom and more complex ones form the cut-off region of ether, $10^{8.5} eV$.

19. Nuclear structure. Tetrahedral shell



The model of the tetrahedral shell

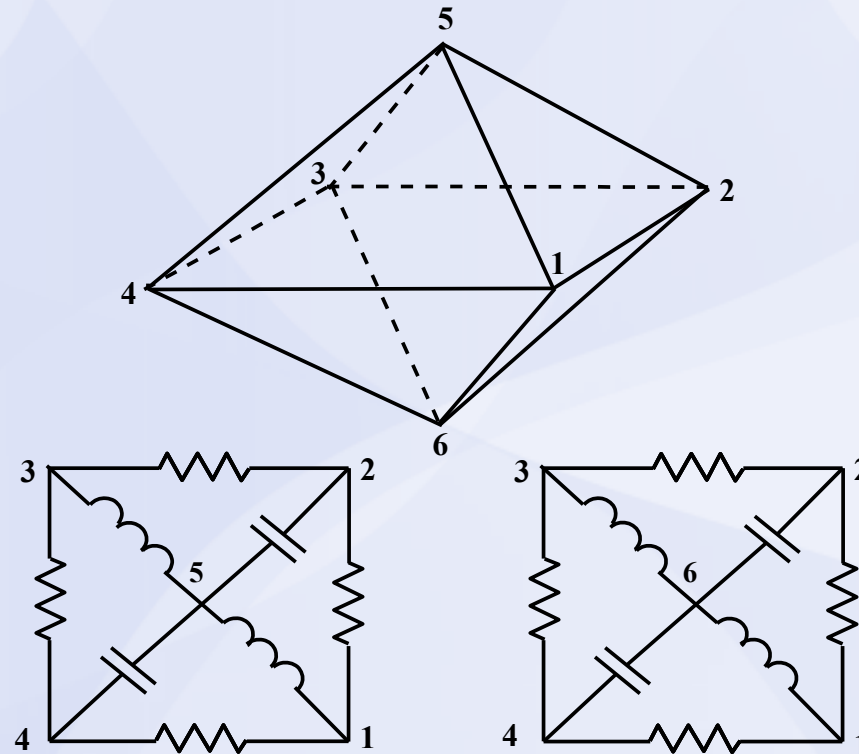
Matrix of impedances

$$(Z_{4 \times 4}) = \begin{pmatrix} Z & -R & -Z_C & -Z_L \\ -R & Z & -Z_L & -Z_C \\ -Z_C & -Z_L & Z & -R \\ -Z_L & -Z_C & -R & Z \end{pmatrix}$$

$$Z_L = pL, \quad Z_C = \frac{1}{pC}, \quad Z = Z_L + Z_C + R$$

This shell is incompatible with the center and develops into the octahedral shell.

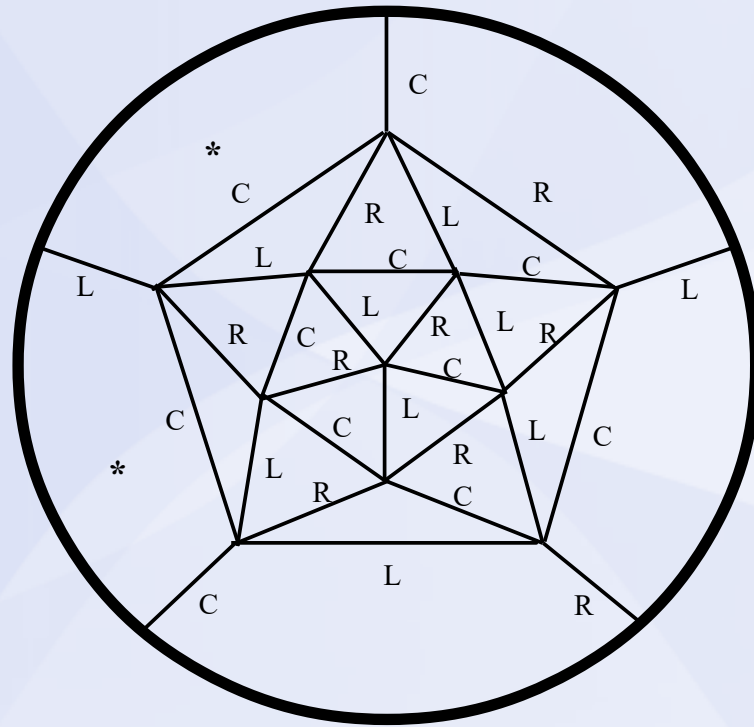
20. Nuclear structure. Octahedral shell



The model of the octahedral shell

The 8-shell suggests the existence of a sphere and develops into the 18-shell.

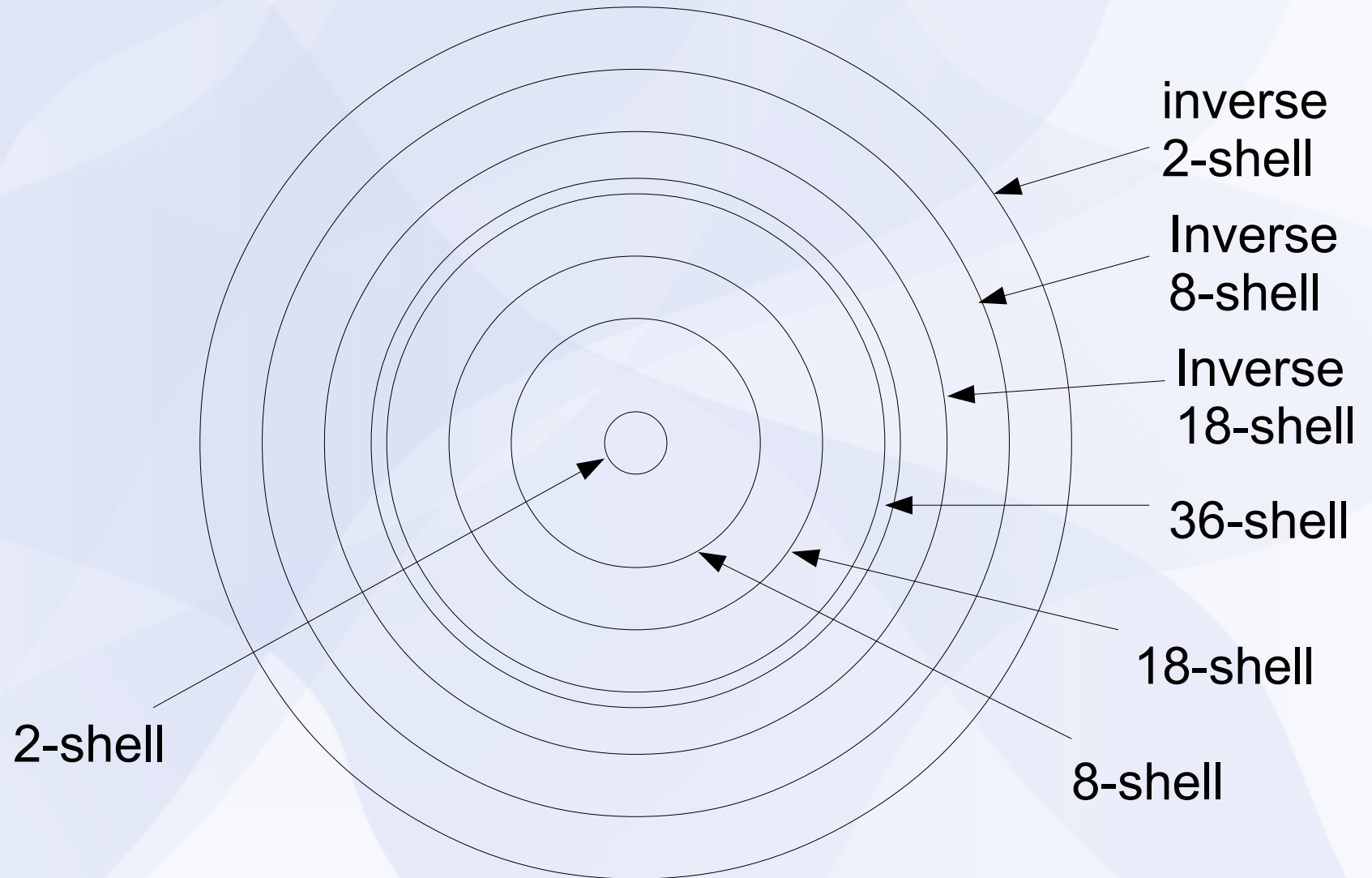
21. Nuclear structure. Icosahedral shell



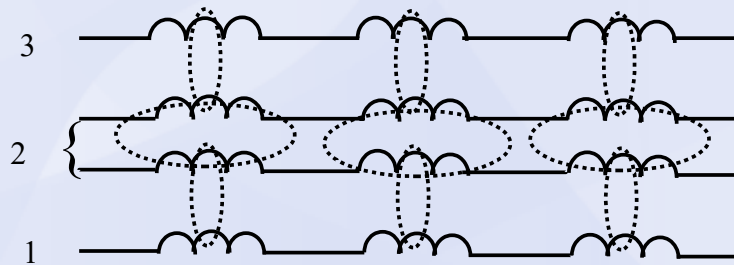
The model of the icosahedral shell

The 18-shell has 20 meshes but only 18 complete meshes represent D-atoms.

22. Complete system of shells



23. Nuclear structure of the m -atom



The model of interaction of the 18-shells:
 1- internal 18-shell; 2- central 36-shell;
 3 – external 18-shell.

Equation modeling the process of the m -atom:

$$\mathbf{L} \frac{d^2 \mathbf{Q}}{dt^2} + \mathbf{R} \frac{d \mathbf{Q}}{dt} + \mathbf{D} \mathbf{Q} = 0$$

$$\mathbf{L} = (L_{ik}), \quad \mathbf{R} = (R_{ik}), \quad \mathbf{D} = (D_{ik})$$

$$D_{ik} = \frac{1}{C_{ik}}, \quad I_k = \frac{dQ_k}{dt}, \quad \mathbf{Q} = \begin{pmatrix} Q_1 \\ Q_2 \\ \dots \\ Q_m \end{pmatrix}$$

The $4m$ -component vector function of response

$$\mathbf{f}_m(t) = \sum_{k=-m}^m F_{mk} \mathbf{A}_k \exp(\lambda_k t); \quad \sum_{k=-m}^m F_{mk} \mathbf{A}_k = 0;$$

$$\mathbf{A}_k = \begin{pmatrix} A_{k1} \\ A_{k2} \\ \dots \\ A_{km} \end{pmatrix}$$

In the U-atom, $m=n=92$, the response becomes a scalar function of parameter $s=r=ct$:

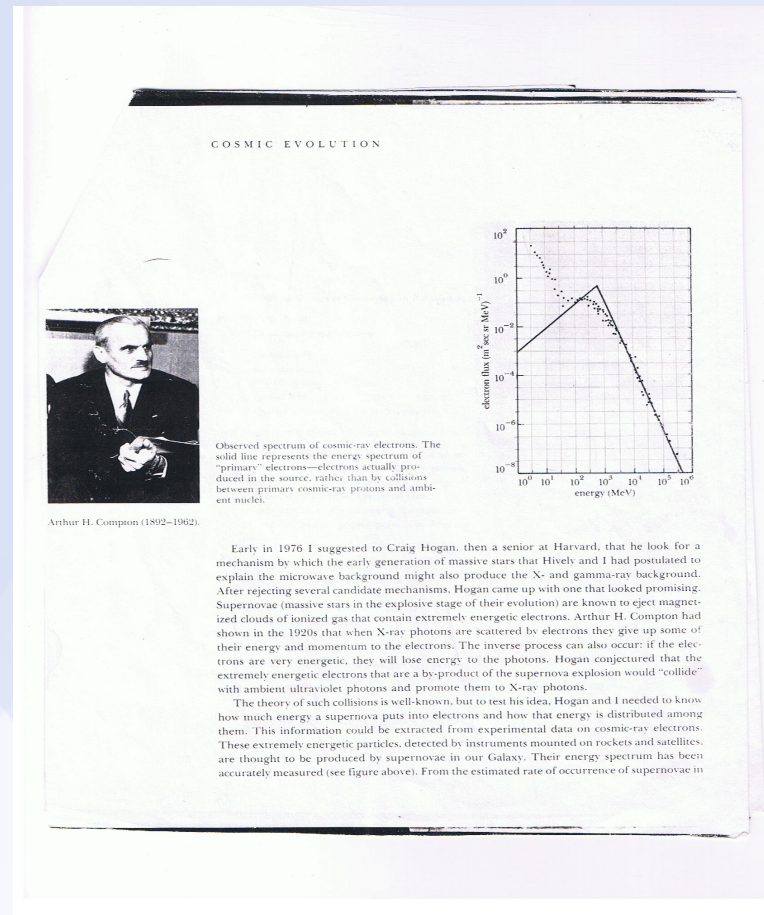
$$g_n(s) = \sum_{k=-n}^n S_k \exp(\chi_k s) \approx g(s)$$

presenting the most perfect approximation of the correlation function of ether.

Reference-1

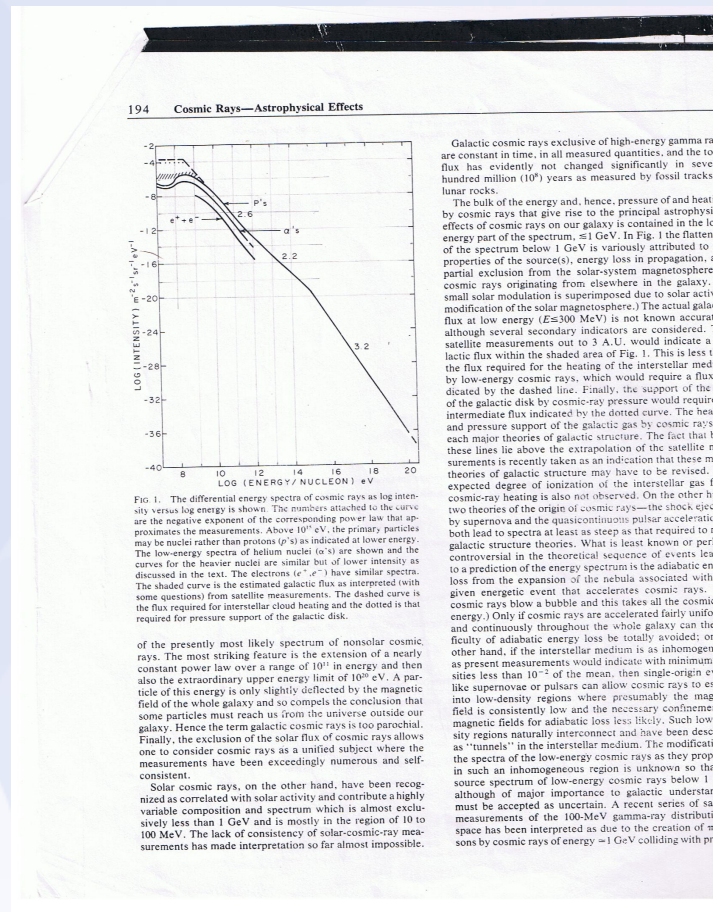
Spectrum of cosmic electrons

David Layzer. *Constructing the Universe*. 1984.



Reference-2

Spectrum of cosmic rays. Encyclopedia of Physics. 1990



Cognizance of Nature

